Machine learning supported image analysis of microfluidic droplets: Using Random Forest classifiers and Bayesian inference for identification of experimental conditions

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1. Experimental setup

- Coincubation of *Escherichia coli* and antibiotics in 300 pL droplets
- Encoding experimental conditions by combinations of bead colors
- Analysis of droplet triggered images
- Up to 20 codes per experiment tested so far, theoretically 72 codes possible



4. Droplet decoding

- Each droplet has a true code (K_T) and the RF gives a detected code (K_D)
 - $K_D = \{C_{D,1}, \dots, C_{D,N_D}\}$
- We are looking for the most likely code given:
 Bayes theorem





Overview of the experimental setup exemplified by ten codes encoding ten concentrations of the antibiotic Tetracycline hydrochloride (TET).







 $p(K_T|K_D) \sim p(K_D|K_T)p(K_T)$

o The misclassification rate of the RF

 $p(K_D|K_T) = \prod_{j=1}^{N_D} p(C_{D,j}|C_{T,j})^{k_j}$

 $v_{K_D} = [k_1, k_2] = [22,1]$ $K_T = \{g, o\}, \{g\} \text{ or } \{o\}$ N_D : Number of detected colors in a droplet

Number of beads of color j

o A multinomial distribution with equal probability for each color

$$p(K_T) = p_{MN}(\boldsymbol{v}_{K_T}) = \frac{\sum_{j=1}^{N_T} k_j}{\prod_{j=1}^{N_T} (k_j!)} \left(\frac{1}{N_T}\right)^{\sum_{j=1}^{N_T} k_j}$$

$$\begin{split} p(\{g\}) &= p(g|g)^{22} p(o|g)^1 p_{MN}([23]) \approx 7.98 \cdot 10^{-5} & \text{Most probable code} \\ p(\{o\}) &= p(g|o)^{22} p(o|o)^1 p_{MN}([23]) \approx 1.82 \cdot 10^{-76} \\ p(\{g,o\}) &= p(g|g)^{22} p(o|o)^1 p_{MN}([22,1]) \approx 1.39 \cdot 10^{-6} \end{split}$$

- Adapting to each new dataset
- Automatic re-training of the RF
- Single color droplets identified

	Acc, pre- trained RF	Acc, re- trained RF
Generation	0.94	0.97
h incubation	0.92	0.99

4259 droplets manually validated

18 were wrongly decoded (<0.5%)



(A) Snapshot of droplet generation. (B) Droplets entering the 20 μ m high imaging channel. (C) Phase contrast image of droplets in the incubator.

2. Segmentation



3. Bead classification

5. Minimum inhibitory concentration

- Known MIC of TET versus *E. coli* is ~1-2 mg/L [3]
- Three replicates with 12 concentrations, one with 2x10 concentrations
- Percentage of droplets with growth as antimicrobial susceptibility indication
- Fit $G([C]) = 2A\left(1 \frac{1}{1 + e^{-\alpha[C]}}\right)$ to the growth data, the 50% and 5% levels are used as MIC limits

Decoded droplets

 In all individual replicates lower MIC value were in range 0.5-1.0 mgL and the upper MIC value 1.9-3.2 mg/L





 C_T : True bead color C_D : Bead color detected by RF RF are resistant to faulty labels in training data [1]

- 8 bead colors
- 11x11 pixels
- Lab colour space
- Random forest (RF) with 5000 trees
- Implemented in Python using scikit-learn



6. Conclusions

- Method able to encode and decode at least 20 experimental conditions
- No need for fluorescent dyes and laser illumination that may interfere with biological activity
- To be merged with current growth detection and sorting algorithm [3]

References

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