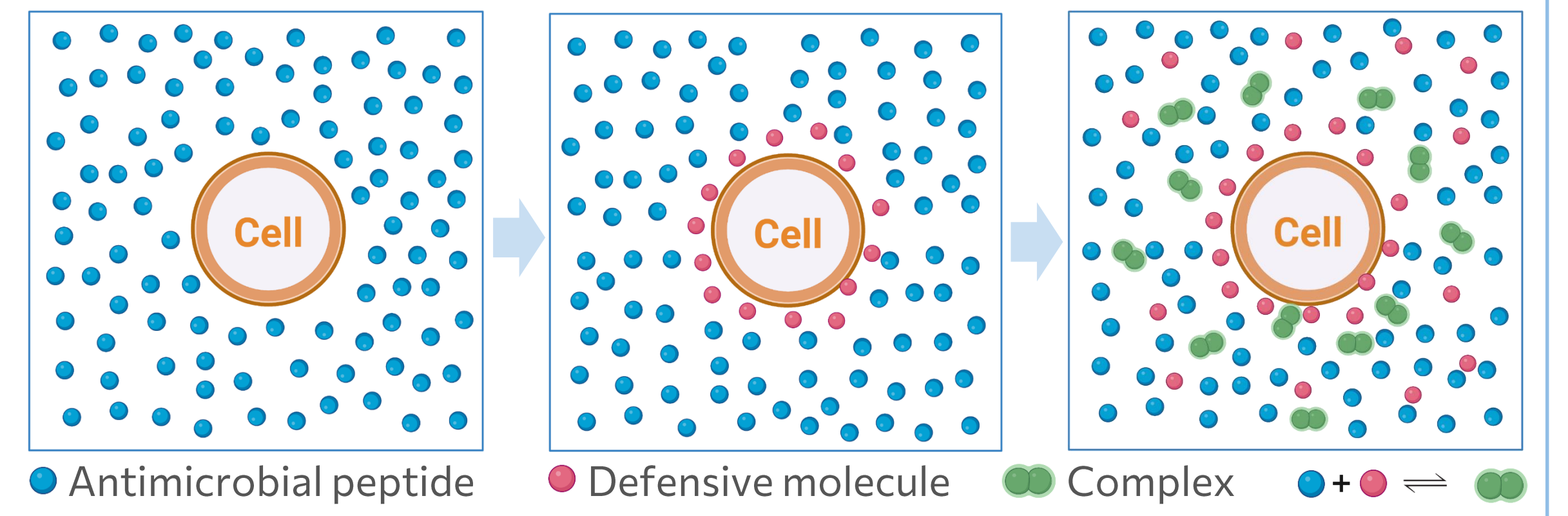


## Abstract

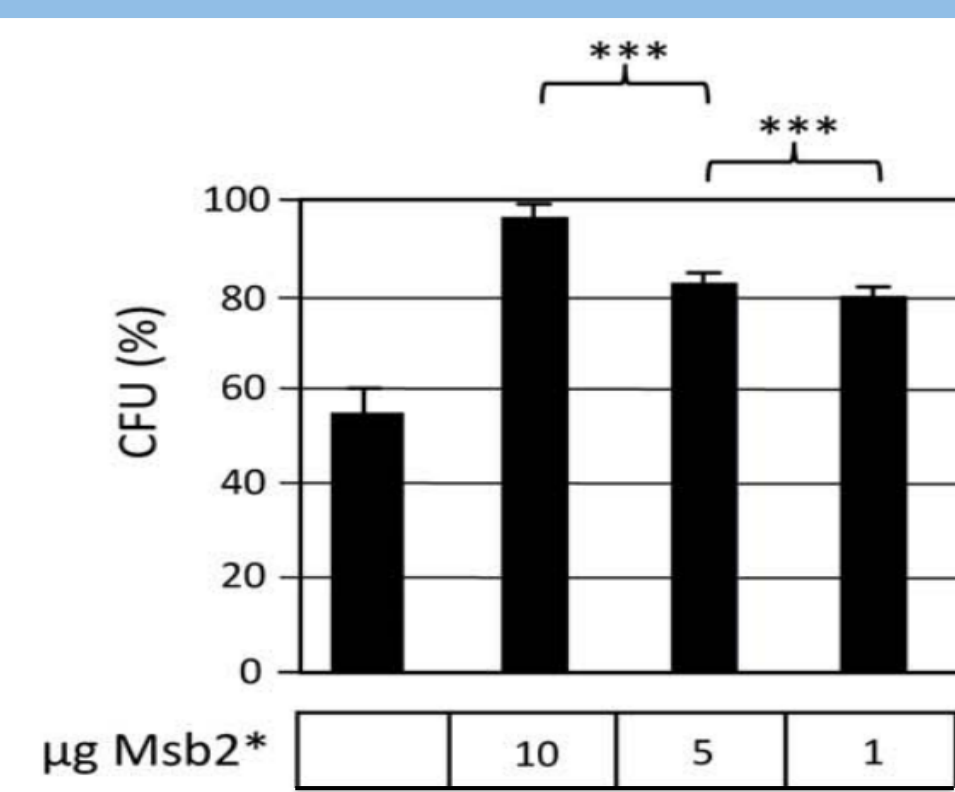
- Some **pathogens**, such as *Candida albicans*, can **evade** the **immune system** and **survive** in the host during **infections**. However, such mechanisms are not yet unraveled.
- In this study, we **investigate** and **simulate** a possible **immune evasive mechanism** referred to as **spatial distancing**: microbial pathogens secrete **defensive molecules** that **bind** to **antimicrobial peptides** and **diffuse away** from the cell due to molecular gradient.
- Two different modeling approaches were used, **Partial Differential Equations** and **Agent-Based Modeling**, both suggesting **spatial distancing** as an **effective way** for microbes to **escape** the **immune system**.

## Mechanism



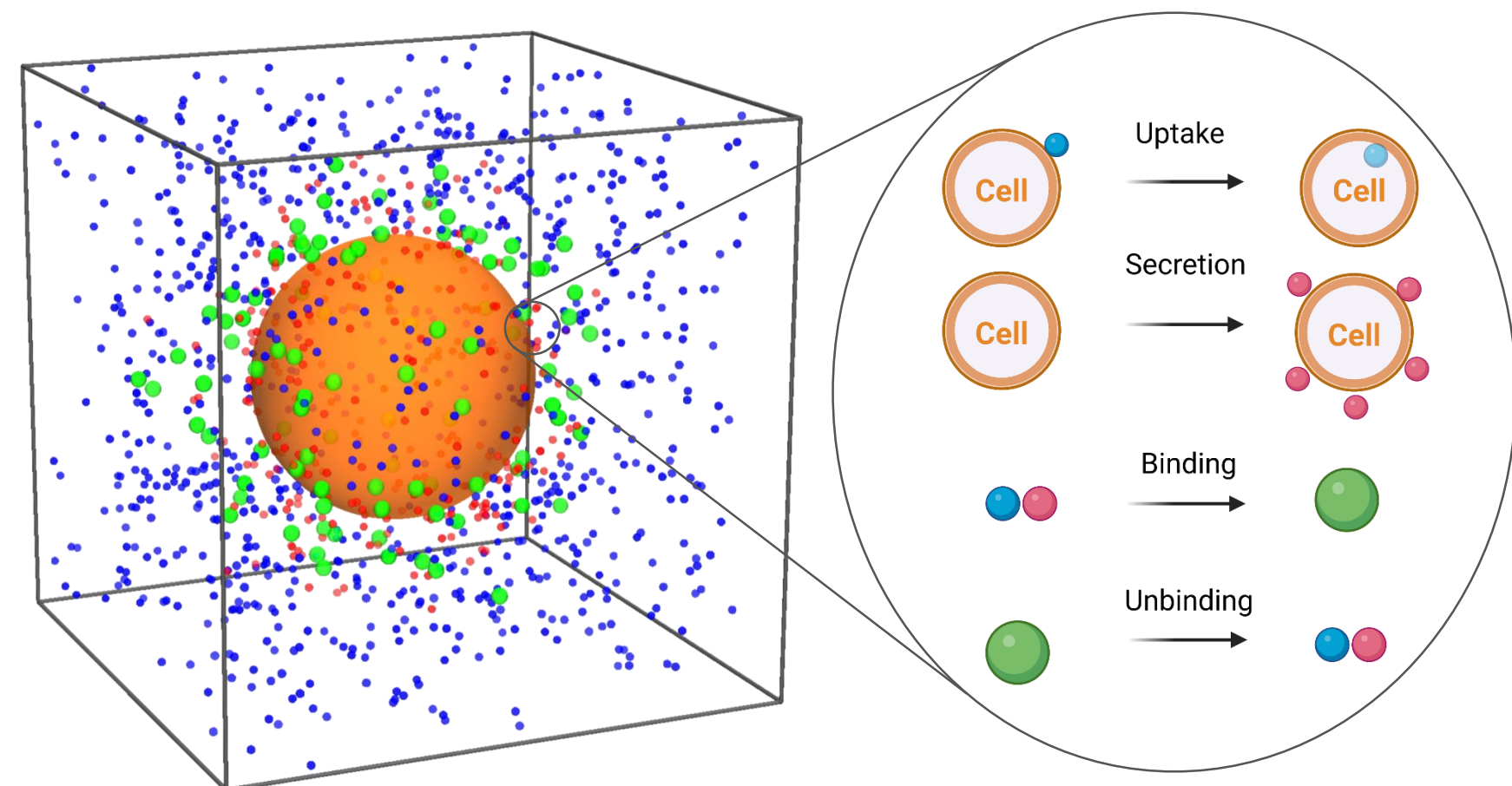
## Biological evidence

- C. albicans* can escape the immune system by protecting itself from AMPs via secretion of Msb2\*.
- Figure shows colony forming units (CFU) of *C. albicans* after incubation with human AMP LL37 and in the presence/absence of Msb2\*. [1]



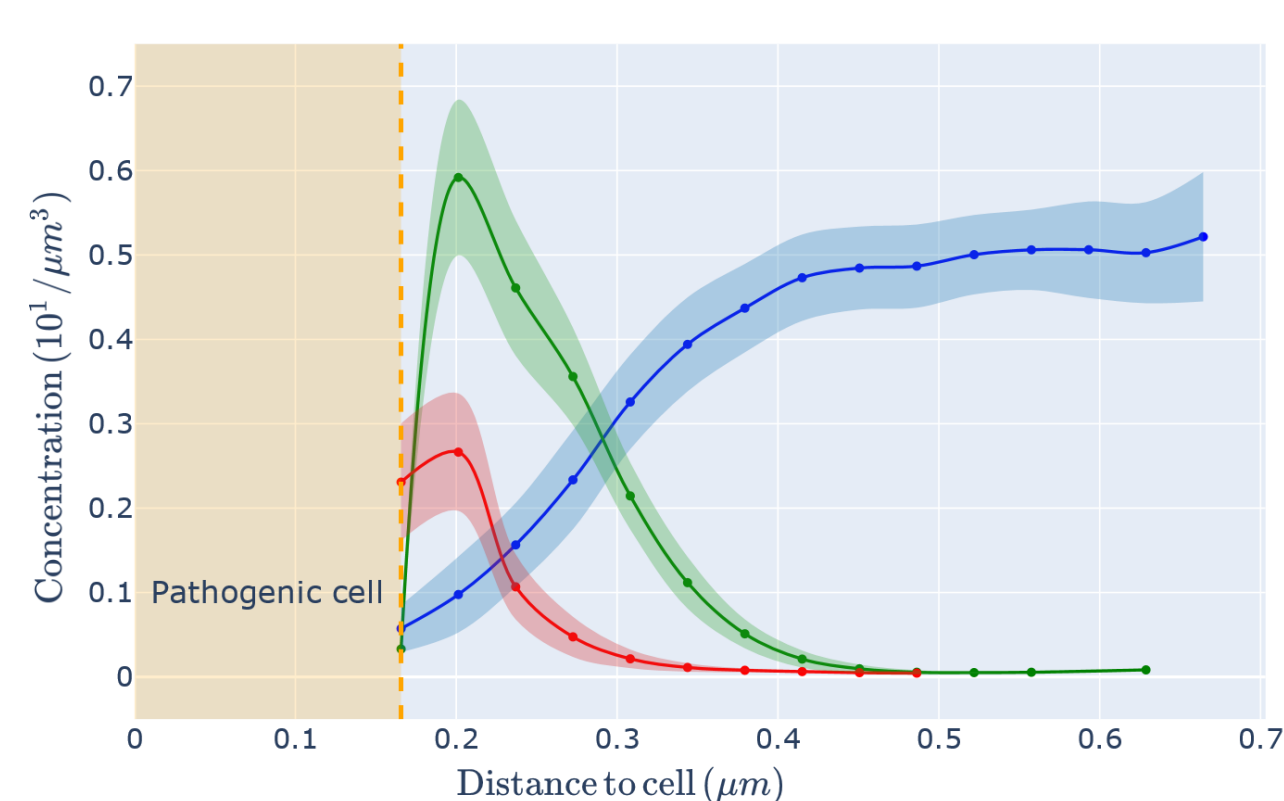
## Agent-Based Modeling approach

- Environment:** 3-dimensional, continuous
- Molecules:** single agents performing Brownian motion
- Suited for low concentrations:** formations of complexes are rare events



- Downscaled system with factor  $10^{-3}$

### Spatiotemporal distributions of molecules



- Secretion of defensive molecules at the cell surface
- Formation of complex
- Concentration of AMPs lowered in the vicinity of the pathogenic cell

## Partial Differential Equation model

- Environment:** 3-dimensional, continuous
- Molecules:** concentrations diffusing on a discrete grid according to the gradient
- Suited for high concentrations:** formations of complexes are frequent events

### AMP

$$\frac{\partial[A]}{\partial t} = D_A \nabla^2[A] + K_{off}[C] - K_{on}[A][D] - K_{deg}^A[A]$$

### Defensive molecule

$$\frac{\partial[D]}{\partial t} = D_D \nabla^2[D] + K_{off}[C] - K_{on}[A][D] - K_{deg}^D[D]$$

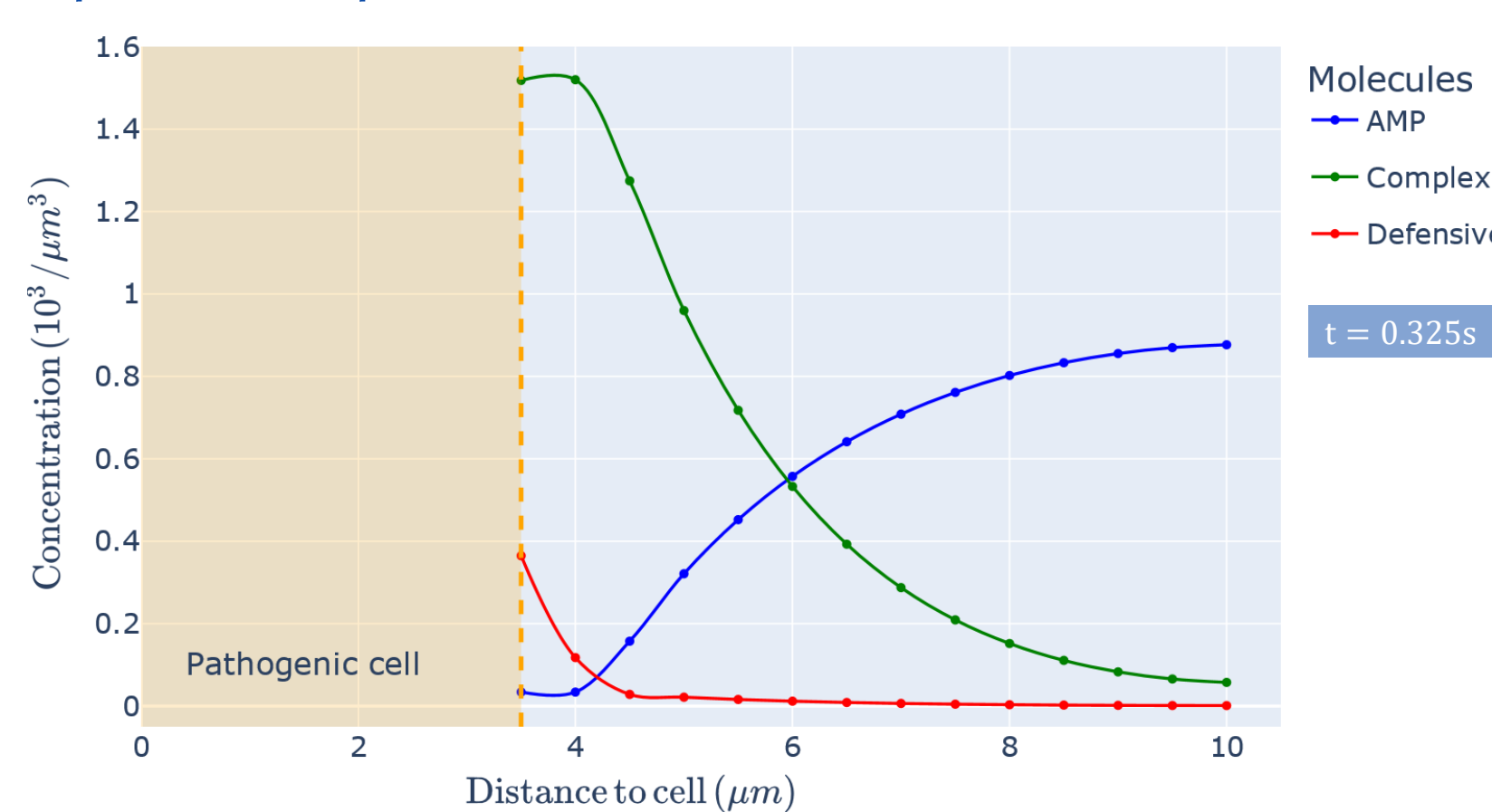
### Complex

$$\frac{\partial[C]}{\partial t} = D_C \nabla^2[C] + K_{on}[A][D] - K_{off}[C]$$

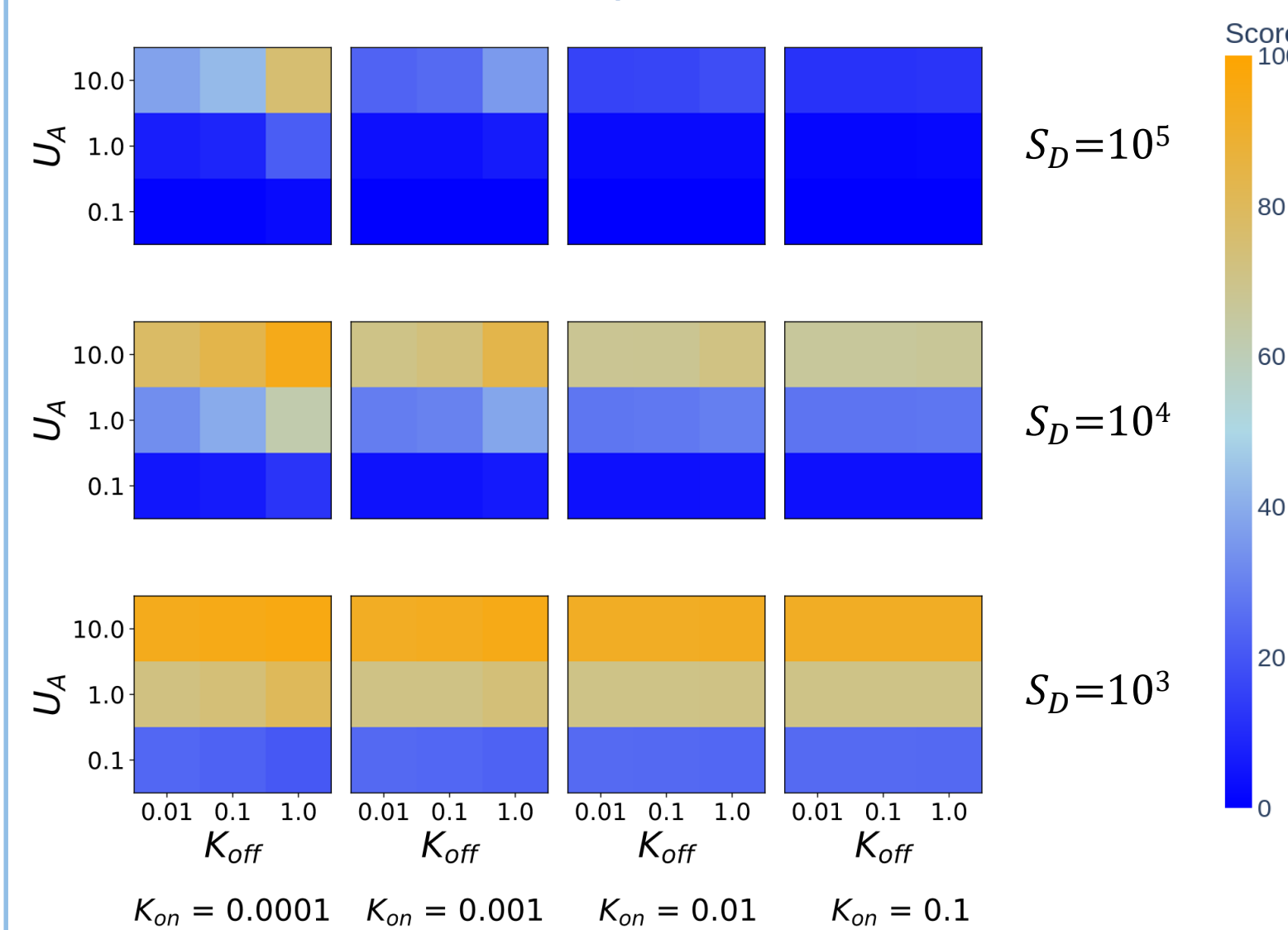
Parameter	Description	Unit
$S_D$	Secretion rate of defensive molecule	$\mu\text{m}^{-3}\text{s}^{-1}$
$U_A$	Uptake rate of AMP	$\text{s}^{-1}$
$D_A$	Diffusion coefficient of AMP	$\mu\text{m}^2\text{s}^{-1}$
$D_D$	Diffusion coefficient of defensive molecule	$\mu\text{m}^2\text{s}^{-1}$
$D_C$	Diffusion coefficient of complex	$\mu\text{m}^2\text{s}^{-1}$
$K_{deg}^A$	Degradation rate of AMP	$\text{s}^{-1}$
$K_{deg}^D$	Degradation rate of defensive molecule	$\text{s}^{-1}$
$K_{on}$	Association rate [AMP – Defensive molecule]	$\mu\text{m}^3\text{s}^{-1}$
$K_{off}$	Dissociation rate [AMP – Defensive molecule]	$\text{s}^{-1}$

Initial condition	Description	Unit
$[A]_{t=0}$	Concentration of AMP	$\mu\text{m}^{-3}$

### Spatiotemporal distributions of molecules



### Parameter screening



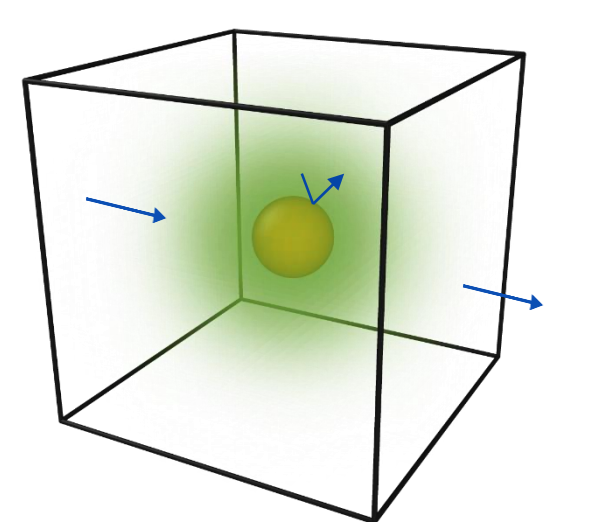
### Boundary conditions

- At the cube limit:** periodic boundaries
- At the cell surface:** reflective boundaries

$$\left. \frac{\partial[A]}{\partial x} \right|_{surf} = 0, \quad \left. \frac{\partial[D]}{\partial x} \right|_{surf} = 0, \quad \left. \frac{\partial[C]}{\partial x} \right|_{surf} = 0$$

$$\left. \frac{\partial[A]}{\partial t} \right|_{x=surf} = -U_A[A]_{surf}$$

$$\left. \frac{\partial[D]}{\partial t} \right|_{x=surf} = S_D$$

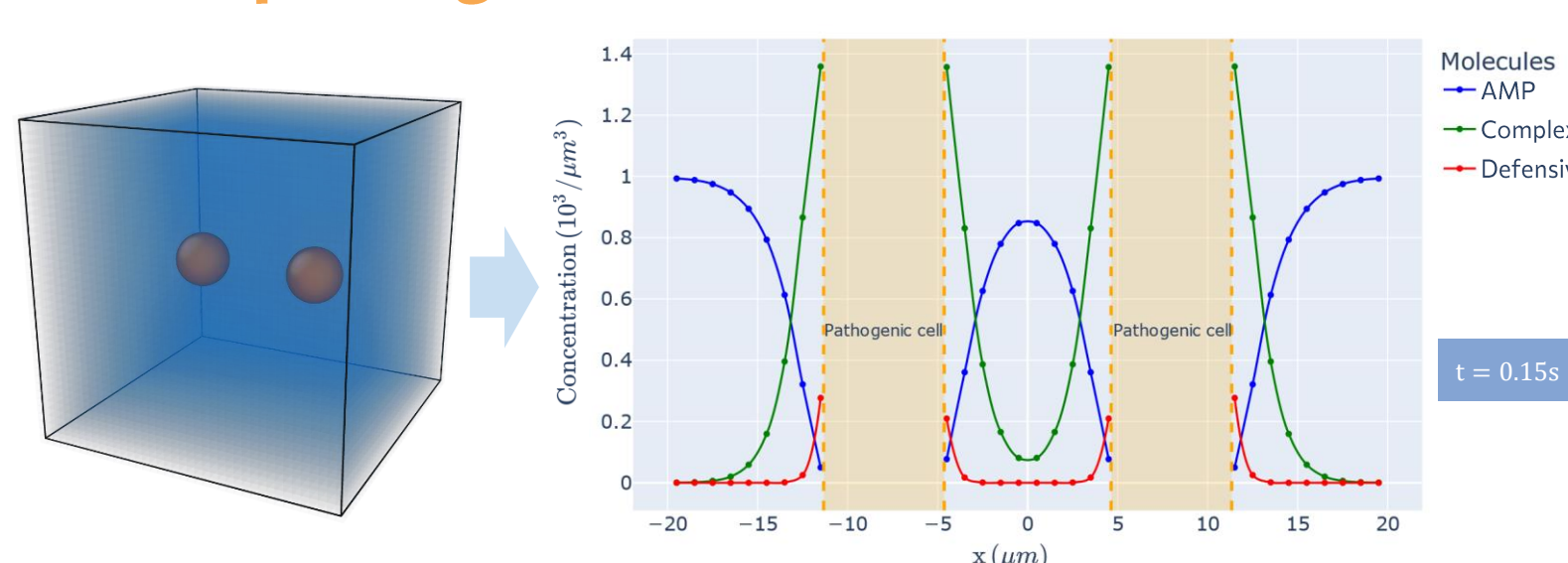


$$\text{Score} = \frac{A_{\text{uptaken}}}{A_{\text{total}}} \cdot 100$$

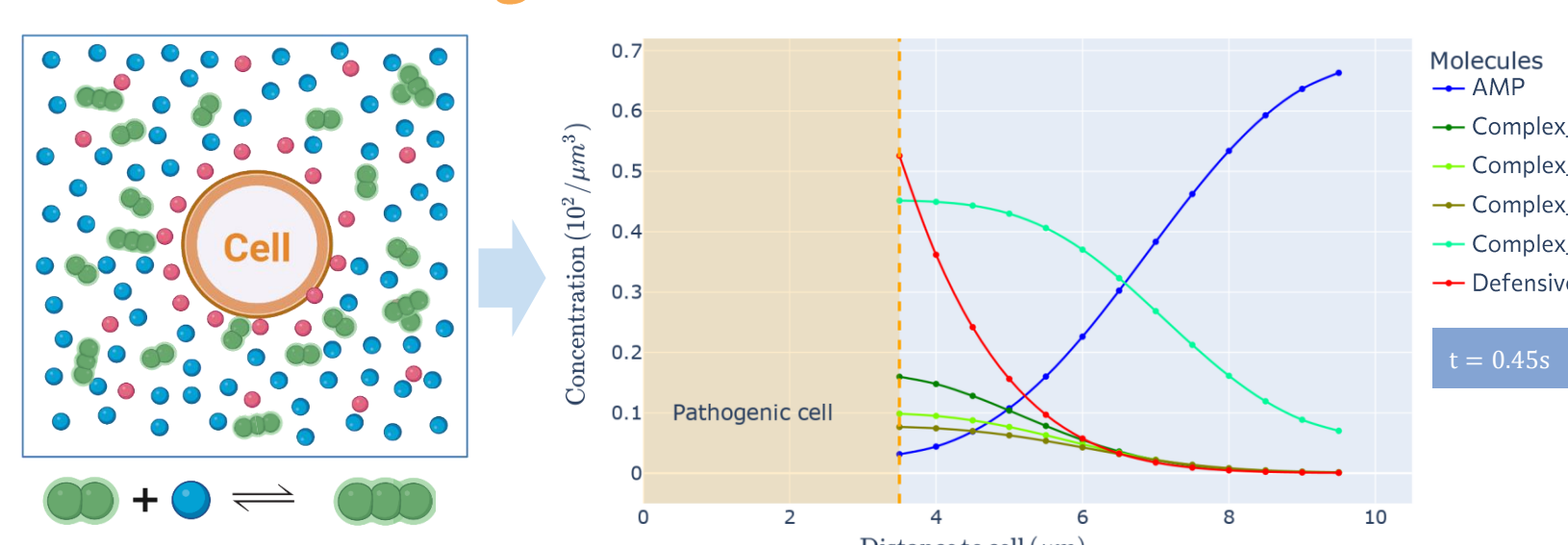
- High  $S_D$  and  $K_{on}$  rates lead to a reduction in the uptake of AMPs by the pathogenic cell
- Beneficial regime for the pathogenic cell with a wide range of parameter combinations

## Model extension

### Two pathogenic cells

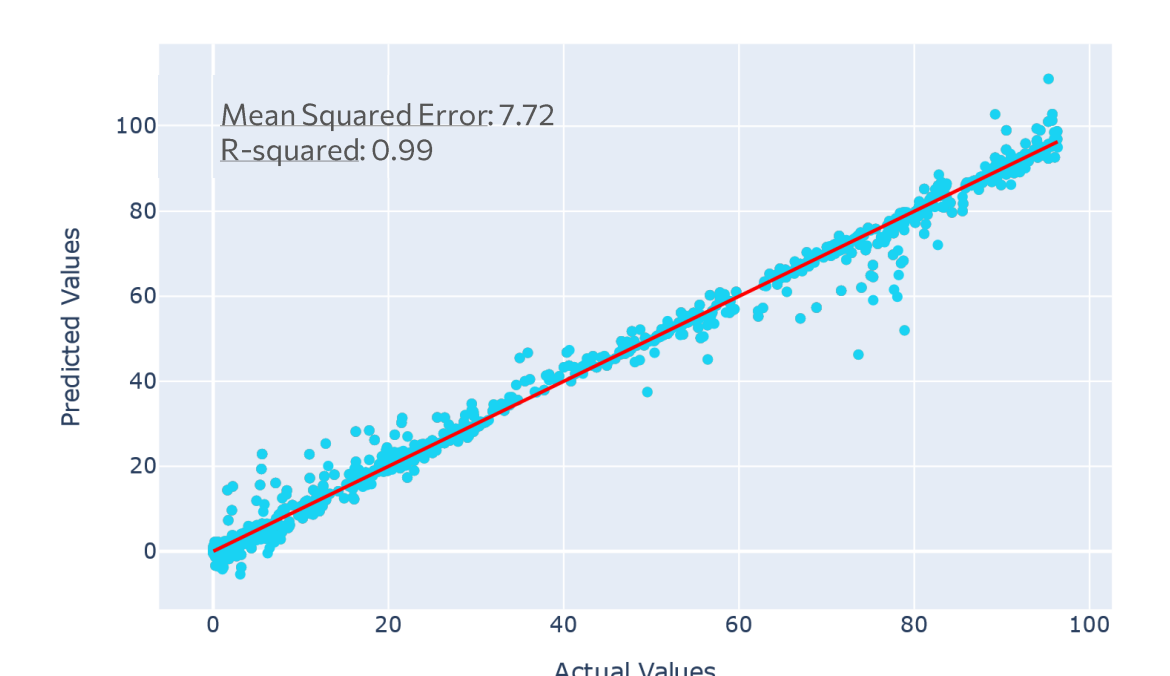


### Multi-binding sites on defensive molecules



## Surrogate model

- Training of an ML model (Light Gradient Boosting Machine) on simulations from screening
- Prediction of score based on simulations' input parameters



## Conclusion

- Secretion of molecules** by the pathogenic cell **reduces** the **concentration of AMPs** in the **vicinity of the microbial cell**.
- Extended models including **two pathogens** and the **binding of multiple AMPs** by one defensive molecule induce **stronger survival chances** for the microbe.
- Both PDE and ABM** approaches show **qualitatively similar dynamics**, suggesting **spatial distancing** as an **effective immune evasion mechanism**.
- Inhibition of molecules secreted by pathogens** in defense against AMPs could be a **target for therapeutic interventions**.